

**Warm Up**

In 1 - 3, solve each equation.

1.  $4x - 7 = 2x + 3(5x - 1) - 9$   $x = 5/13$

2.  $7x^2 + 34x = 5$   $x = 1/7, x = -5$

3.  $\frac{8}{x+1} = 4$   $x = 1$

In 4 - 5, solve each inequality. Your solution should be given two ways: using interval notation and shown on a number line.

4.  $4x - 7 > 2x + 3(5x - 1) - 9$

$-7 > -12$

5.  $7x^2 + 34x \leq 5$

$-5 \leq 1/7$



$(-\infty, 5/13)$

$x < 5/13$

$[-5, 1/7]$

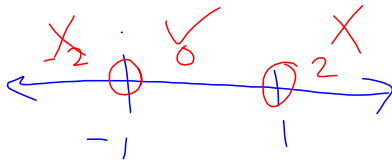
**Recall:** The domain of linear and quadratic functions is all real numbers. So, what happens when you solve an inequality that is based on a function for which the domain is *NOT* all real numbers? So far in this course, we have studied two functions that fit this description. The domain of a rational function has at least one value excluded from its domain, and the domain of a square root function has a restriction. So, when solving a rational or a square root inequality, you must account for the fact that the function's domain is *NOT* all real numbers.

## Notes: Solving Rational Inequalities

Solve each inequality. Answers should be given using interval notation. Use a number line to assist you.

$$1. \frac{8}{x+1} > 4 \quad \text{Solution } (-1, 1)$$

$$\text{Solve } \frac{8}{x+1} = 4 \rightarrow x = 1$$



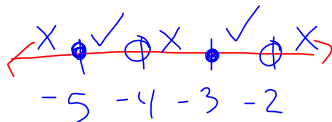
① Identify exclusions from domain  
 $x \neq -1$

② Solve related equation

③ These values are our critical values

④ Test a point in each interval to determine solution.

$$6. \frac{3x}{x+2} - \frac{2}{x+4} \geq 7$$



$$[-5, -4) \cup [-3, -2)$$

① exclusions:  $-2, -4$

② Solve:  
 $\frac{3x(x+4)}{x+2} - \frac{2(x+2)}{x+4} = 7(x+4)(x+2)$

$$3x^2 + 12x - 2x - 4 = 7x^2 + 42x + 56$$

$$x = -3, -5$$